

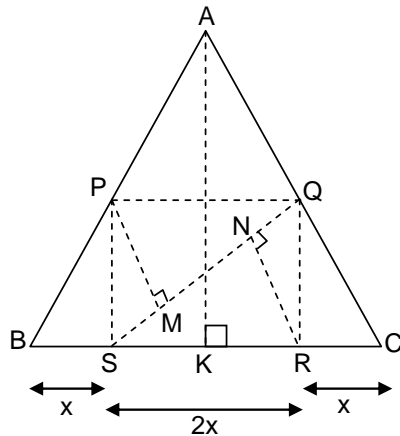
NTSE STAGE – I (HARYANA STATE)
(2020 – 21)
(For Class – X)
SCHOLASTIC APTITUDE TEST
ANSWER KEYS

1.	4	2.	4	3.	1	4.	3
5	2	6.	4	7.	3	8.	2
9.	2	10.	2	11.	4	12.	1
13.	1	14.	3	15.	3	16.	4
17.	3	18.	3	19.	2	20.	3
21.	4	22.	4	23.	2	24.	1
25.	4	26.	1	27.	1	28.	2
29.	4	30.	1	31.	4	32.	4
33.	3	34.	2	35.	4	36.	4
37.	3	38.	2	39.	4	40.	2
41.	3	42.	2	43.	1	44.	2
45.	2	46.	4	47.	2	48.	3
49.	1	50.	2	51.	4	52.	3
53.	3	54.	3	55.	3	56.	2
57.	4	58.	1	59.	1	60.	4
61.	4	62.	2	63.	4	64.	2
65.	3	66.	1	67.	2	68.	3
69.	2	70.	1	71.	3	72.	1
73.	2	74.	4	75.	4	76.	2
77.	2	78.	1	79.	3	80.	3
81.	4	82.	3	83.	3	84.	1
85.	2	86.	3	87.	3	88.	3
89.	2	90.	2	91.	4	92.	3
93.	3	94.	1	95.	4	96.	3
97.	3	98.	4	99.	3	100.	1

NTSE STAGE – I (HARYANA STATE)
(2020 – 21)
(For Class – X)
SCHOLASTIC APTITUDE TEST

HINTS & SOLUTIONS

1. 4
Sol.



$$AB = 10$$

$$AC = 10$$

P, Q are mid points of AB & AC

$$\Rightarrow AP = PB = 5$$

$$AQ = QC = 5$$

$$BC = 12$$

$$\therefore x + 2x + x = 12 \Rightarrow x = 3$$

$$\therefore BS = 3, SR = 6, RC = 3$$

$\therefore \triangle ABC$ is isosceles

$AK \perp BC$ and $BK = KC$

$$\therefore BS = SK = KR = RC = 3$$

$\therefore PQ \parallel BC$

$$\triangle ABK \rightarrow \frac{BS}{SK} = \frac{BP}{PA} \Rightarrow SP \parallel AK \Rightarrow \triangle PSB \sim \triangle AKB$$

$$\therefore PS \perp BC \text{ and } \frac{PS}{AK} = \frac{1}{2}$$

$$PS = \frac{1}{2} AK$$

Similarly, $QR \perp BC$

$$\triangle ACK \rightarrow AK = \sqrt{10^2 - 6^2} = 8$$

$$\therefore PS = \frac{1}{2} AK \Rightarrow PS = 4$$

and similarly $QR = 4$

Now in $\triangle QRS \rightarrow \angle QRS = 90^\circ$

$$\Rightarrow SQ = \sqrt{SR^2 + RQ^2} = \sqrt{6^2 + 4^2} = 2\sqrt{13}$$

□ PQRS will be a rectangle

$$[PQRS] = 6 \times 4 = 24$$

$$\therefore [PQS] = [SRQ] = 12$$

$$\text{Now } [PSQ] = \frac{1}{2} \times SQ \times PM = 12$$

$$\frac{1}{2} \times 2\sqrt{13} \times PM = 12$$

$$PM = \frac{12}{\sqrt{13}}$$

$$\text{Similarly, } RN = \frac{12}{\sqrt{13}}$$

Now, In right angle triangle $\triangle PSM$

$$SM = \sqrt{PS^2 - PM^2} = \sqrt{4^2 - \left(\frac{12}{\sqrt{13}}\right)^2} = \frac{8}{\sqrt{13}}$$

$$\text{Similarly, } QN = \frac{8}{\sqrt{13}}$$

Now, $MN = SQ - SM - QN$

$$= 2\sqrt{13} - \frac{8}{\sqrt{13}} - \frac{8}{\sqrt{13}} = \frac{26 - 16}{\sqrt{13}} = \frac{10}{\sqrt{13}}$$

4. 3

Sol. Thyroxin regulates carbohydrate, protein and fat metabolism in the body so as to provide the best balance for growth.

6. 4

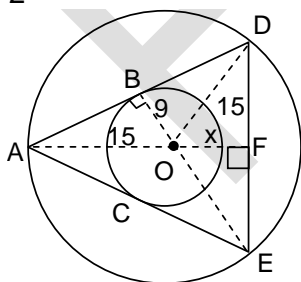
Sol. Fertilisation takes place in fallopian tube.

8. 2

Sol. Hibiscus and mustard are bisexual flowers.

9. 2

Sol.



$$AB = \sqrt{15^2 - 9^2} = 12 \text{ cm} = BD = AC = CE$$

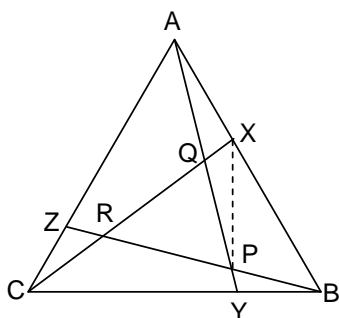
$$\text{Let } OF = x \text{ cm then } DE = 2\sqrt{225 - x^2}$$

$$\text{Using } R = \frac{abc}{4\Delta}$$

$$15 = \frac{24 \times 24 \times 2\sqrt{225 - x^2}}{4 \times \frac{1}{2} \times (15 + x) \left(2\sqrt{225 - x^2}\right)}$$

$$\Rightarrow x = 4.2 \text{ cm}$$

12. 1
Sol.



By using Menalau's theorem

$$CR : RQ : QX = BP : PR : RZ = AQ : QP : PY = 3 : 3 : 1$$

Now, $AX : XB = 1 : 2$

$$\Rightarrow [BXC] = \frac{2}{3}[ABC]$$

$$CR : RX = 3 : 4$$

$$\Rightarrow [BRX] = \frac{4}{7}[BXC] = \frac{8}{21}[ABC]$$

Join P to X, Since $RP : PB = 1 : 1$

$$\Rightarrow [XPR] = \frac{1}{2}[BRX] = \frac{4}{21}[ABC]$$

$$RQ : QX = 3 : 1$$

$$\Rightarrow [PQR] = \frac{3}{4}[XPR] = \frac{1}{7}[ABC]$$

$$\Rightarrow \text{ar}(PQR) = \frac{1}{7} \times \frac{\sqrt{3}}{4} \times 14 \times 14 = 7\sqrt{3} \text{ cm}^2$$

15. 3

Sol. Arteries always carry blood away from heart, while veins always carry blood towards the heart.

16. 4

Sol. $0.001 \text{ M NaOH} \Rightarrow [\text{OH}^-] = 10^{-3} \text{ M}$
 $\Rightarrow \text{pOH} = 3$, so $\text{pH} = 11$

17. 3

Sol. Draw $AQ \perp ED$

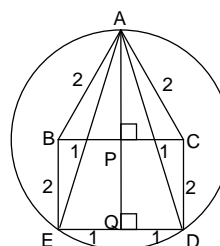
Then $EQ = QD = 1 \text{ cm}$

Also, $BP = PC = 1 \text{ cm}$

Join A to D and E

Now $AP = \sqrt{3} \text{ cm}$, $PQ = 2 \text{ cm}$

$$\Rightarrow AQ = (\sqrt{3} + 2) \text{ cm}$$



By Pythagoras theorem $AD = AE = \sqrt{(\sqrt{3} + 2)^2 + 1}$

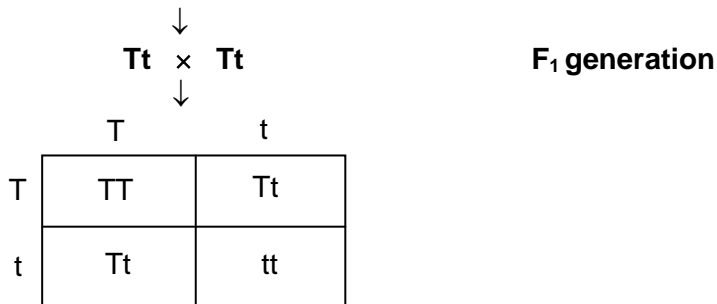
Now, given circle is circumcircle of $\triangle AED$

$$\Rightarrow \text{Radius} = \frac{(AE)(ED)(AD)}{4 \times \text{ar}(AED)}$$

$$= \frac{\left[(\sqrt{3} + 2)^2 + 1 \right] (2)}{4 \times \frac{1}{2} \times 2 \times (\sqrt{3} + 2)} = 2 \text{ cm}$$

Circumference = 4π cm

19. 2
Sol. Tall dwarf
TT tt

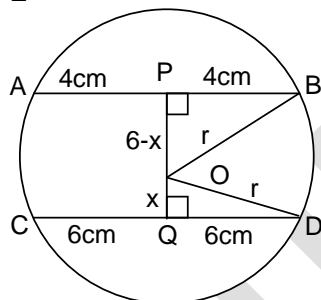


Homozygous tall – 1
Heterozygous tall – 2
Homozygous dwarf – 1

20. 3
Sol. One mole SO₂ means 64 g of it = 6.022×10^{23} molecules.

21. 4
Sol. Growing two or more crops but indefinite row pattern is known as mixed cropping.

23. 2
Sol.



Let radius of circle = r cm
and $OQ = x$ cm then $OP = (6 - x)$ cm
By Pythagoras theorem,
 $r^2 = x^2 + 36$ and $r^2 = 16 + (6 - x)^2$
on solving both equations we get,

$$x = \frac{4}{3} \text{ and } r^2 = \frac{340}{9}$$

Distance of chord EF from centre = $3 - \frac{4}{3} = \frac{5}{3}$ cm

So, length of chord EF

$$\begin{aligned}
 &= 2\sqrt{r^2 - \left(\frac{5}{3}\right)^2} \\
 &= 2\sqrt{\frac{340}{9} - \frac{25}{9}} = 2\sqrt{35} \\
 &= \sqrt{140} \Rightarrow K = 140
 \end{aligned}$$

26. 1

Sol. Case-I:

All resistance are in series

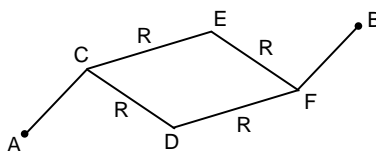
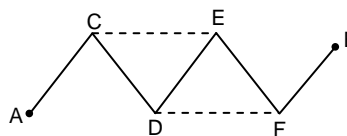
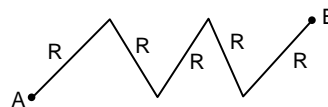
$$R_1 = 5R = 5\Omega$$

Case-II:

C & F balanced wheat stone bridge is formed.

$$R_2 = 3R = 3\Omega$$

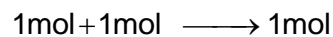
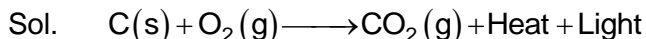
Change in resistance = $5 - 3 = 2\Omega$.



27. 1

Sol. When sound changes its medium frequency remains same since frequency depends on source.

28. 2



Given C = 9 g

$$= \frac{9}{12} = \frac{3}{4} \text{mol} = 0.75 \text{mol}$$

$O_2 = 16 \text{g}$

$$= \frac{16}{32} = \frac{1}{2} \text{mol} = 0.50 \text{mol}$$

So CO_2 formed is $0.5 \text{mol} = 0.5 \times 44 \text{g} = 22 \text{g}$

29. 4

Sol. Tin is more reactive than hydrogen.

30. 1

Sol. A. Formaldehyde is $H - CHO$

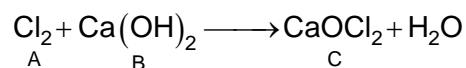
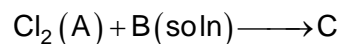
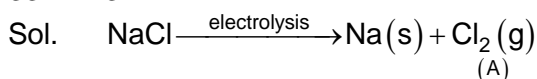
B. Propanal is $CH_3 - CH_2 - CHO$

C. Butanol is $CH_3 - CH_2 - CH_2 - CH_2 - OH$

D. Pentane-3-one is $CH_3 - CH_2 - \overset{\overset{O}{\parallel}}{C} - CH_2 - CH_3$

E. 3-Methyl hexanal is $CH_3 - CH_2 - CH_2 - \overset{\overset{CH_3}{|}}{CH} - CH_2 - CHO$

33. 3



35. 4

Sol. Total possible outcomes = $8 \times 8 \times 8 = 512$

Favourable outcomes

= $\{(1, 1, 1), (1, 2, 2), (2, 1, 2), (1, 3, 3), (3, 1, 3), (1, 4, 4), (4, 1, 4), (2, 2, 4), (1, 5, 5), (5, 1, 5), (1, 6, 6), (6, 1, 6), (2, 3, 6), (3, 2, 6), (1, 7, 7), (7, 1, 7), (8, 1, 8), (1, 8, 8), (2, 4, 8), (4, 2, 8)\}$
= 20

$$\text{Required Probability} = \frac{20}{512} = \frac{5}{128}$$

37. 3

Sol. $B_1 = B_2$

$$v_1 dg = v_2 dg$$

$$\Rightarrow v_1 = v_2$$

where v_1 & v_2 are volume

39. 4

$$\text{Sol. } \frac{\sqrt{28 - 10\sqrt{3}} + \sqrt{7 + 4\sqrt{3}}}{\sqrt{16 + 6\sqrt{7}}} = a + b\sqrt{7}$$

$$\Rightarrow \frac{\sqrt{(5 - \sqrt{3})^2} + \sqrt{(2 + \sqrt{3})^2}}{\sqrt{(3 + \sqrt{7})^2}} = a + b\sqrt{7}$$

$$\Rightarrow \frac{5 - \sqrt{3} + 2 + \sqrt{3}}{3 + \sqrt{7}} = a + b\sqrt{7}$$

$$\Rightarrow \frac{7}{3 + \sqrt{7}} \times \frac{(3 - \sqrt{7})}{(3 - \sqrt{7})} = a + b\sqrt{7}$$

$$\Rightarrow \frac{7}{2}(3 - \sqrt{7}) = a + b\sqrt{7}$$

$$\Rightarrow \frac{21}{2} - \frac{7\sqrt{7}}{2} = a + b\sqrt{7}$$

$$\Rightarrow a = \frac{21}{2}, b = \frac{-7}{2} \therefore 2a + b = 21 - \frac{7}{2} = 17\frac{1}{2}$$

40. 2

Sol. From 0° to 4° density increases and when temperature is increased beyond 4° density decreases.

41. 3

Sol. Number of neutrons = $27 - 13 = 14$

42. 2

Sol. Involuntary, unstriated, spindle shaped, smooth, uninucleated.

44. 2

Sol.

$x^2 + dx + 1$	$ax - ad$
	$ax^3 + bx + c$
	$ax^3 + adx^2 + ax$
	$- adx^2 - ax + bx + c$
	$- adx^2 - ad^2x - ad$
	$+ \quad + \quad +$
	$(ad^2 - a + b)x + (c + ad)$

$\therefore ax^3 + bx + c$ is divisible by $x^2 + dx + 1$
 \therefore remainder should be zero
 $\therefore (ad^2 - a + b)x + (c + ad) = 0 \times x + 0$
 $\Rightarrow ad^2 - a + b = 0$... (i)
 and $c + ad = 0 \Rightarrow d = -c/a$
 by equation (i)

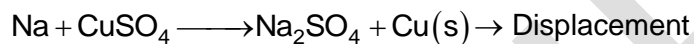
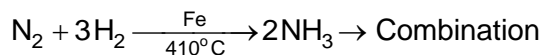
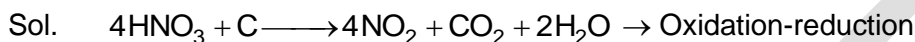
$$a \left(\frac{-c}{a} \right)^2 - a + b = 0$$

$$\frac{c^2}{a} - a + b = 0$$

$$\Rightarrow c^2 - a^2 + ab = 0$$

$$\Rightarrow a^2 - c^2 = ab$$

45. 2



46. 4

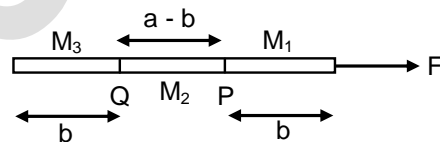
Sol. The function of body controlled by medulla oblongata is heart beat, rate of respiration, and secretion of saliva.

47. 2

Sol. $T_Q = M_3A$

$T_P = (m_2 + m_3) A$

$$\frac{T_P}{T_Q} = \frac{m_2 + m_3}{m_3} = \frac{a - b}{b}$$



49. 1

Sol. 5 to 8% ethanoic acid is present in vinegar

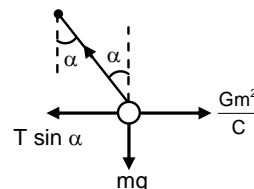
50. 2

Sol. $T \sin \alpha = \frac{Gm^2}{C}$

$T \cos \alpha = mg$

$$\tan \alpha = \frac{mG}{C^2g}$$

$$\Rightarrow \alpha = \tan^{-1} \left(\frac{mG}{C^2g} \right)$$



51. 4

Sol. $\sin \theta = \frac{m^2 + 2mn}{m^2 + 2mn + 2n^2} \Rightarrow \text{cosec } \theta = \frac{m^2 + 2mn + 2n^2}{m^2 + 2mn}$

$$\cot \theta = \sqrt{\text{cosec}^2 \theta - 1} = \sqrt{\left(\frac{m^2 + 2mn + 2n^2}{m^2 + 2mn} \right)^2 - 1}$$

$$= \frac{2(m+n)n}{m^2 + 2mn} = \frac{2(mn + n^2)}{m^2 + 2mn}$$

$$\text{Now, } \frac{1}{\sec \theta - \tan \theta} - \frac{1}{\cos \theta} = \frac{\sec^2 \theta - \tan^2 \theta}{\sec \theta - \tan \theta} - \sec \theta$$

$$= \tan \theta = \frac{m^2 + 2mn}{2(mn + n^2)}$$

52. 3

Sol. $x^2 - y^2 = 45$, x and y are positive integer

$$\Rightarrow (x - y)(x + y) = 45$$

Different possibilities are

$$x + y = 45, x - y = 1 \Rightarrow x = 23, y = 22$$

$$x + y = 15, x - y = 3 \Rightarrow x = 9, y = 6$$

$$x + y = 9, x - y = 5 \Rightarrow x = 7, y = 2$$

So, 3 pairs are possible.

56. 2

Sol. Time to fill vessel

$$= \frac{1}{3} \times \pi \times 50 \times 50 \times 45$$

$$= \frac{3}{\pi \times 1 \times 1 \times 1000} \text{ minutes}$$

$$= 37.5 \text{ minutes}$$

57. 4

Sol. Elements of s-block forms basic oxides

'Mg' with atomic number 12 and

'K' with atomic number 19 will form basic oxides

58. 1

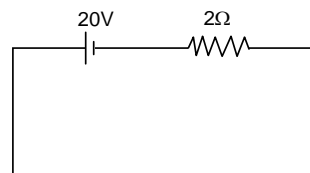
Sol. Oxygen is more electronegative so form H-Bonding.

60. 4

$$\text{Sol. } i = \frac{V}{R} = 10 \text{ A}$$

$$P = VI = 20 \times 10$$

$$= 200 \text{ W}$$



(4Ω & 6Ω are short circuited)

61. 4

Sol. The root hairs absorb water, when salt concentration of cell sap is high.

62. 2

$$\text{Sol. } \frac{(\sec \theta + \tan \theta)(1 - \sin \theta) \sec \theta}{(1 + \tan \theta + \sec \theta)(1 + \cot \theta - \operatorname{cosec} \theta)}$$

$$= \frac{\left(\frac{1 + \sin \theta}{\cos \theta}\right) \left(\frac{1 - \sin \theta}{\cos \theta}\right)}{1 + \cot \theta - \operatorname{cosec} \theta + \tan \theta + 1 - \tan \theta \operatorname{cosec} \theta + \sec \theta + \sec \theta \cot \theta + \sec \theta \operatorname{cosec} \theta}$$

$$= \frac{1}{1 + \frac{\cos \theta}{\sin \theta} - \frac{1}{\sin \theta} + \frac{\sin \theta}{\cos \theta} + 1 - \frac{1}{\cos \theta} + \frac{1}{\cos \theta} + \frac{1}{\sin \theta} - \frac{1}{\sin \theta \cos \theta}}$$

$$= \frac{1}{2} = 0.5$$

Which lies between 0.4 and 0.6

64. 2

Sol. Slope of momentum time graph gives force.
Slope at A is minimum while slope at C is maximum.

65. 3

Sol. $x^2 - 3x + 1 = 0$

$$\Rightarrow x + \frac{1}{x} = 3 \quad \dots(i)$$

Squaring

$$x^2 + \frac{1}{x^2} + 2 = 9 \Rightarrow x^2 + \frac{1}{x^2} = 7 \quad \dots(ii)$$

Now cubing equation (i)

$$x^3 + \frac{1}{x^3} + 3\left(x + \frac{1}{x}\right) = 27$$

$$\Rightarrow x^3 + \frac{1}{x^3} + 3 \times 3 = 27 \Rightarrow x^3 + \frac{1}{x^3} = 18 \quad \dots(iii)$$

Now (ii) \times (iii)

$$\Rightarrow \left(x^2 + \frac{1}{x^2}\right)\left(x^3 + \frac{1}{x^3}\right) = 18 \times 7$$

$$\Rightarrow x^5 + \left(x + \frac{1}{x}\right) + \frac{1}{x^5} = 126 \Rightarrow x^5 + \frac{1}{x^5} = 126 - 3 = 123$$

68. 3

Sol. Height = 4 cm, Radius = r cm

Case - I

$$\pi(r + 12)^2 (4) - x = 4\pi r^2 \quad \dots(i)$$

Case - II

$$\pi(r)^2 (16) - x = 4\pi r^2 \quad \dots(ii)$$

From equation (i) and (ii)

$$r = 12 \text{ cm}$$

$$\text{So, CSA} = 96 \pi \text{ cm}^2$$

69. 2

Sol. A plant that produces spores and embryos but lacks seeds and vascular tissues belongs to bryophytes.

72. 1

Sol. Development and formation of pollen grains in anther of the stamen is known as microsporogenesis.

73. 2

Sol. Carbon dioxide is not a pollutant by its nature.

78. 1

Sol. A person decides to live exclusively on a diet of milk, egg and bread. He would suffer from scurvy as vitamin C is not included in his diet.

81. 4

Sol. $V^2 = V^2 + 2gh$

$$V = \sqrt{2gh}$$

$$\frac{V_a}{V_b} = \sqrt{\frac{a}{b}}$$

82. 3

Sol. Given: $\sqrt{x^2 + x^{4/3}y^{2/3}} + \sqrt{y^2 + x^{2/3}y^{4/3}} = K$

$$\Rightarrow \sqrt{x^{4/3}(x^{2/3} + y^{2/3})} + \sqrt{y^{4/3}(y^{2/3} + x^{2/3})} = K$$

$$\Rightarrow \sqrt{(x^{2/3} + y^{2/3})} [\sqrt{x^{4/3}} + \sqrt{y^{4/3}}] = K$$

$$\Rightarrow (x^{2/3} + y^{2/3})^{3/2} = K$$

$$\Rightarrow x^{2/3} + y^{2/3} = K^{2/3}$$

84. 1

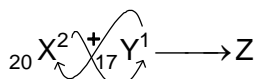
Sol. $T = 2\pi\sqrt{\frac{\ell}{g}}$

$$\frac{T_{\text{smaller}}}{T_{\text{longer}}} = \frac{1}{5}$$

So they will repeat after $\frac{5}{4}$ oscillations.

85. 2

Sol.



$\Rightarrow Z$ is XY_2 ($CaCl_2$)

86. 3

Sol. $a_4 + a_7 + a_{10} = 17$

$$(a + 3d) + (a + 6d) + (a + 9d) = 17$$

$$\Rightarrow 3a + 18d = 17$$

$$\Rightarrow a + 6d = \frac{17}{3} \quad \dots(i)$$

$$\text{and } (a_1 + a_2 + \dots + a_{14}) - (a_1 + a_2 + a_3) = 77$$

$$\Rightarrow (a + a + d + a + 2d + \dots + a + 13d) - (a + a + d + a + 2d) = 77$$

$$\Rightarrow 14a + d(1 + 2 + \dots + 13) - (3a + 3d) = 77$$

$$\Rightarrow 14a + d \times \frac{13 \times 14}{2} - 3a - 3d = 77$$

$$\Rightarrow 14a + 91d - 3a - 3d = 77$$

$$\Rightarrow 11a + 88d = 77$$

$$\Rightarrow a + 8d = 7 \quad \dots(ii)$$

$$(ii) - (i)$$

$$\Rightarrow 2d = 7 - \frac{17}{3} = \frac{4}{3} \Rightarrow d = \frac{2}{3}$$

$$\therefore a + 6d = \frac{17}{3}$$

$$\Rightarrow a + 6\left(\frac{2}{3}\right) = \frac{17}{3}$$

$$a = \frac{5}{3}$$

Now, $T_k = 13$

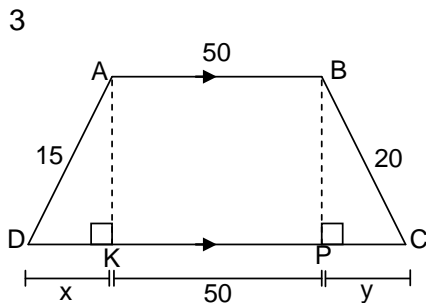
$$\therefore a + (k-1)d = 13$$

$$\frac{5}{3} + (k-1)\frac{2}{3} = 13$$

$$1 + \frac{2k}{3} = 13$$

$$\Rightarrow \frac{2k}{3} = 12 \Rightarrow k = 18$$

87.
Sol.



$\therefore AK = BP$ ($AB \parallel DC$)

$$\Rightarrow AK^2 = BP^2$$

$$\Rightarrow 15^2 - x^2 = 20^2 - y^2$$

$$\Rightarrow y^2 - x^2 = 20^2 - 15^2 = 35 \times 5$$

$$\Rightarrow (y+x)(y-x) = 35 \times 5$$

Case – I

$$(y+x)(y-x) = 35 \times 5$$

$$y+x = 35, y-x = 5$$

$$\Rightarrow 2y = 40 \Rightarrow y = 20 \text{ and } x = 15$$

Case – II

$$(y+x)(y-x) = 35 \times 5 = 7 \times 5 \times 5$$

$$(y+x)(y-x) = 25 \times 7$$

$$\Rightarrow y+x = 25, y-x = 7$$

$$\Rightarrow y = 16, x = 9$$

At $x = 9$

$$AK = \sqrt{15^2 - 9^2} = 12$$

and at $x = 15$, AK will be zero

Hence only case – II is acceptable.

\therefore Height AK = 12

Now area = $\frac{1}{2}$ × sum of parallel sides × height

$$= \frac{1}{2} \times (100 + x + y) \times 12$$

$$= \frac{1}{2} \times (100 + 16 + 9) \times 12$$

$$= 125 \times 6 = 750 \text{ cm}^2$$

89. 2

Sol. FBD of block

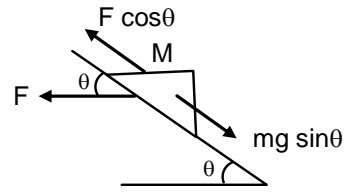
given $F = mg$

Since block is at rest wrt incline

$$F \cos \theta = mg \sin \theta$$

$$mg \cos \theta = mg \sin \theta$$

$$\Rightarrow \theta = 45^\circ$$



92. 3

$$\Delta V = V\gamma\Delta T$$

$$\text{or } \Delta V \propto \Delta T$$

Q Material and temperature difference are same for both spheres.

So expansion are equal.

93. 3

Sol. The metal atom which is present in superphosphate is Calcium(Ca).

94. 1

Sol. Let say these numbers are such that $x < y < z$.

ATQ,

$$\text{Mean} = \frac{x+y+z}{3} = x+11 = z-15$$

and given median = 10

$$\text{Hence } y = 10$$

$$\therefore \frac{x+y+z}{3} = x+11$$

$$x+10+z = 3x+33$$

$$\Rightarrow -2x+z = 23 \quad \dots(i)$$

$$\frac{x+y+z}{3} = z-15$$

$$\Rightarrow x+10+z = 3z-45$$

$$\Rightarrow x-2z = -55 \quad \dots(ii)$$

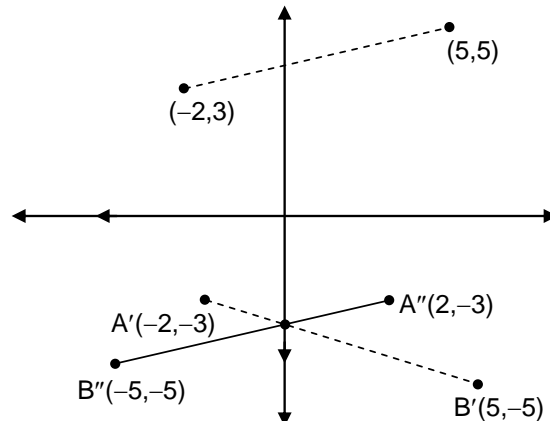
By (i) and (ii),

$$z = 29, x = 3$$

$$\therefore x+y+z = 3+10+29 = 42$$

96. 3

Sol. $A(-2, 3)$, $B(5, 5)$ is reflected in x -axis.



Hence new coordinates will be:

$$A'(-2, -3) \text{ and } B'(5, -5)$$

Now it is reflected in y -axis

So, coordinates will be

$A''(2, -3)$ and $B''(-5, -5)$

\therefore Midpoint of A'' and B'' is: $\left(-\frac{3}{2}, -4\right)$

$$\begin{aligned}\therefore \text{Sum of coordinates of midpoint of final image} &= \frac{-3}{2} - 4 \\ &= -\frac{11}{2} \\ &= -5\frac{1}{2}\end{aligned}$$

97. 3

Sol. Kidney removes N_2 waste such as urea and uric acid from the blood.

98. 4

Sol. Gravitational field inside hollow sphere is zero. Hence gravitational force is zero.

99. 3

Sol. $|x| + y = 4$

At y-axis, $|x| = 0$

$\therefore y = 4 \Rightarrow$ coordinates $(0, 4)$

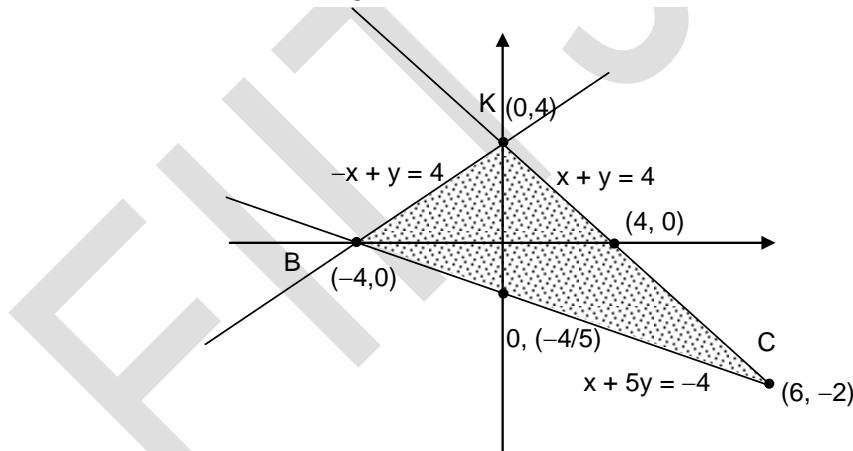
At x-axis, $y = 0, \therefore |x| = 4 \Rightarrow x = \pm 4$

\therefore Coordinates of points $(4, 0), (-4, 0)$

Now the line $x + 5y = -4$

Again at x-axis, $y = 0 \Rightarrow$ coordinate of point $(-4, 0)$ and at Y axis $x = 0 \Rightarrow y = \frac{-4}{5}$

\therefore coordinate of point $= \left(0, \frac{-4}{5}\right)$



\therefore Intersection point of line.

$x + y = 4$ and $x + 5y = -4$ will be $(6, -2)$

Now we need to find the area of ΔKBC .

where $K(0, 4), B(-4, 0)$ and $C(6, -2)$

$$\begin{aligned}\Delta &= \frac{1}{2} |x_1(y_2 - y_3) + x_2(y_3 - y_1) + x_3(y_1 - y_2)| \\ &= \frac{1}{2} |0(y_2 - y_3) + (-4)(-2 - 4) + 6(4 - 0)| \\ &= \frac{1}{2} |24 + 24| = \frac{48}{2} = 24\end{aligned}$$